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SE COMPI

PSA Assignment

Q1. Write a C/C++ function to print tree on PFS (without using recursion).

Ans.

```
void non_rec (node *T)
```

```
{
```

```
    stack s;
```

```
    while (T != NULL)
```

```
    {
```

```
        s.push (T);
```

```
        T = T->left;
```

```
    }
```

```
    {
```

```
        while (!s.empty ())
```

```
        {
```

```
            T = s.pop ();
```

```
            cout << T->data << " ";
```

```
            T = T->right;
```

```
        while (T != NULL)
```

```
        {
```

```
            s.push (T);
```

```
            T = T->left;
```

```
        }
```

```
    }
```

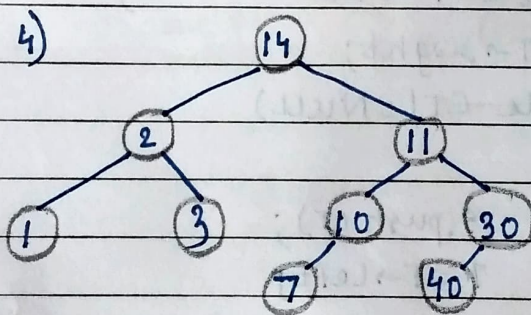
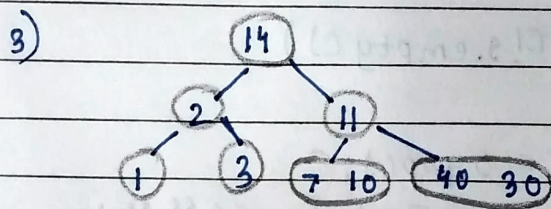
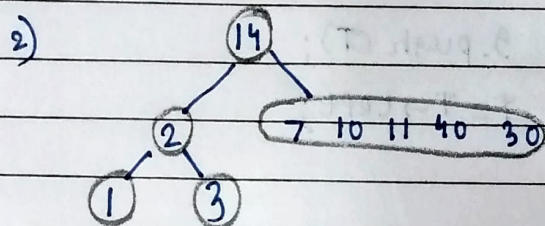
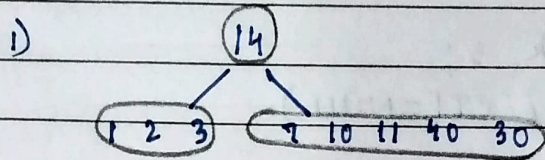
```
}
```

Q2. Construct a binary tree from given two traversals.

Inorder - 1 2 3 14 7 10 11 40 30

Postorder - 1 3 2 7 10 40 30 11 14

Ans.



Q3. Write a short note on hash functions.

Ans. The position of a key in a container (array) which is used to hold some number of elements of a given set K is given by a function $h(\cdot)$, known as the hash function.

• A good hash function should:-

- i) Minimize collisions
- ii) Be easy and quick to compute.
- iii) Distribute key values evenly on the hash table
- iv) Use all the information provided in the key.

• methods of Hashing functions are:-

- 1) Division method
- 2) Multiplication method
- 3) Digit extraction method
- 4) Folding
- 5) Mod-square method

Q4. For the given set of values.

11, 33, 20, 88, 79, 98, 44, 68, 66, 22

Create a hash table with size 10 and resolve collision using chaining with replacement and without replacement. Use the modulus hash function ($\text{key} \% \text{size}$).

Ans. i) without replacement

ii) • 11 →

	Key	Chain
• 11 → $11 \bmod 10 = 1$		
• 33 → $33 \bmod 10 = 3$	0	20
• 20 → $20 \bmod 10 = 0$	1	11
• 88 → $88 \bmod 10 = 8$	2	-1
• 79 → $79 \bmod 10 = 9$	3	33
• 98 → $98 \bmod 10 = 8$	4	-1
• 44 → $44 \bmod 10 = 4$	5	-1
• 68 → $68 \bmod 10 = 8$	6	-1
• 66 → $66 \bmod 10 = 6$	7	-1
• 22 → $22 \bmod 10 = 2$	8	88
	9	79

iii) • 98 →

$98 \bmod 10 = 8$ ∴ collision occurred

∴ new position = 2

• 44 →

$44 \bmod 10 = 4$

• 68 →

$68 \bmod 10 = 8$ ∴ collision occurred

∴ new position = 5

• 66 →

$$66 \bmod 10 = 6$$

• 22 →

$$22 \bmod 10 = 2 \quad \therefore \text{collision occurred}$$

\therefore new position = 7

	key	chain
0	20	-1
1	11	-1
2	98	5
3	33	-1
4	44	-1
5	68	-1
6	66	-1
7	22	-1
8	88	2
9	79	-1

2) with replacement

i) • 11 → $11 \bmod 10 = 1$

• 33 → $33 \bmod 10 = 3$

• 20 → $20 \bmod 10 = 0$

• 88 → $88 \bmod 10 = 8$

• 79 → $79 \bmod 10 = 9$

ii) • 98 → $98 \bmod 10 = 8 \quad \therefore \text{collision}$

\therefore new position = 2

• 44 → $44 \bmod 10 = 4$

• 68 → $68 \bmod 10 = 8 \quad \therefore \text{collision}$

\therefore new position = 5

• 66 → $66 \bmod 10 = 6$

	key	chain
0	20	-1
1	11	-1
2	98	5
3	33	-1
4	44	-1
5	68	-1
6	66	-1
7		
8	88	2
9	79	-1

iii) $22 \rightarrow 22 \bmod 10 = 2 \therefore$ collision

\therefore new position = 2

\rightarrow chain changed from $88 \rightarrow 98 \rightarrow 68$ to $88 \rightarrow 68 \rightarrow 98$

	key	chain
0	20	-1
1	11	-1
2	22	-1
3	33	-1
4	44	-1
5	68	7
6	66	-1
7	98	-1
8	88	5
9	79	-1