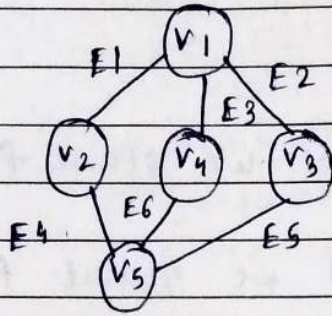


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* Graph:-

- A graph is a collection of two sets V and E where V is a finite non-empty set of vertices and E is a finite non-empty set of edges.



$$G = \{ \{V_1, V_2, V_3, V_4, V_5\}, \{E_1, E_2, E_3, E_4, E_5, E_6\} \}$$

* BFS Traversal of Graph

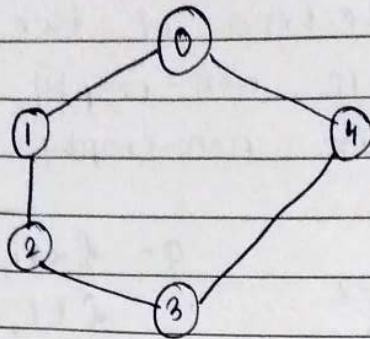
- In BFS ~~we~~ we start from some vertex and find all the adjacent vertices of it.
- This process will be repeated for all vertices so that the vertices lying on the same level get printed.
- For avoiding repetition of vertices, we maintain an array of visited nodes.
- A queue data structure is used ~~to~~ to store adjacent vertices.

* DFS Traversal of Graph

- In depth first search traversal we start from one vertex and traverse the path as deeply as we can go.
- When there is no vertex further, we traverse back and search for unvisited vertex.
- ~~The~~ An array is maintained for storing the visited vertex.

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→ For a ~~exam~~ example,



- 1) The DFS will be if we start from vertex 0).
0-1-2-3-4
- 2) The DFS will be if we start from vertex 3).
3-4-0-1-2

wchadit for class DFS

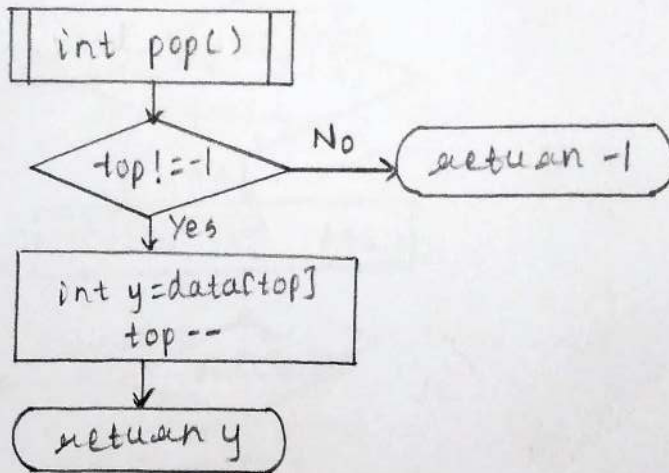
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```
class DFS
{
    int top, f, s, x, data[30], data1[30]
    int visit[20], g[10][10]

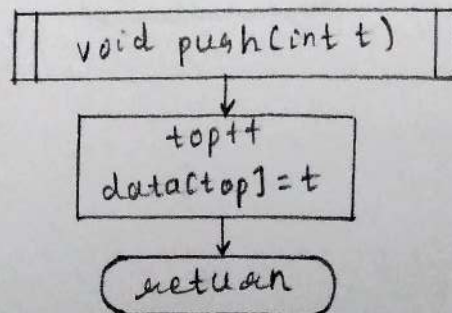
    void create()
    void display()
    void bfs()
    void dfs()
    int pop()
    void push(int t)
    void enqueue(int t)
    int dequeue()

    DFS() { top = f = s = x = -1 }
}
```

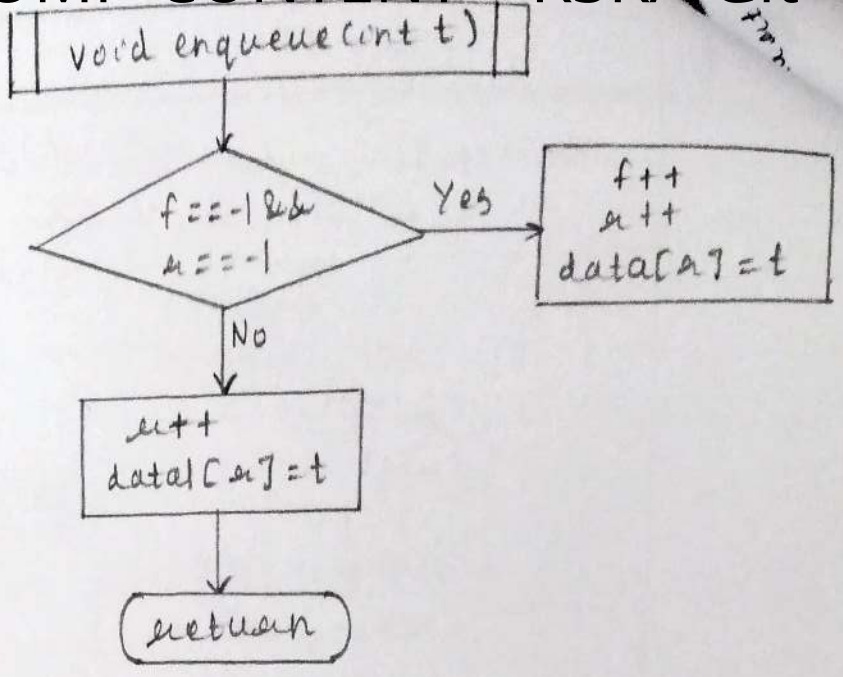
→ Flowchart for int pop()



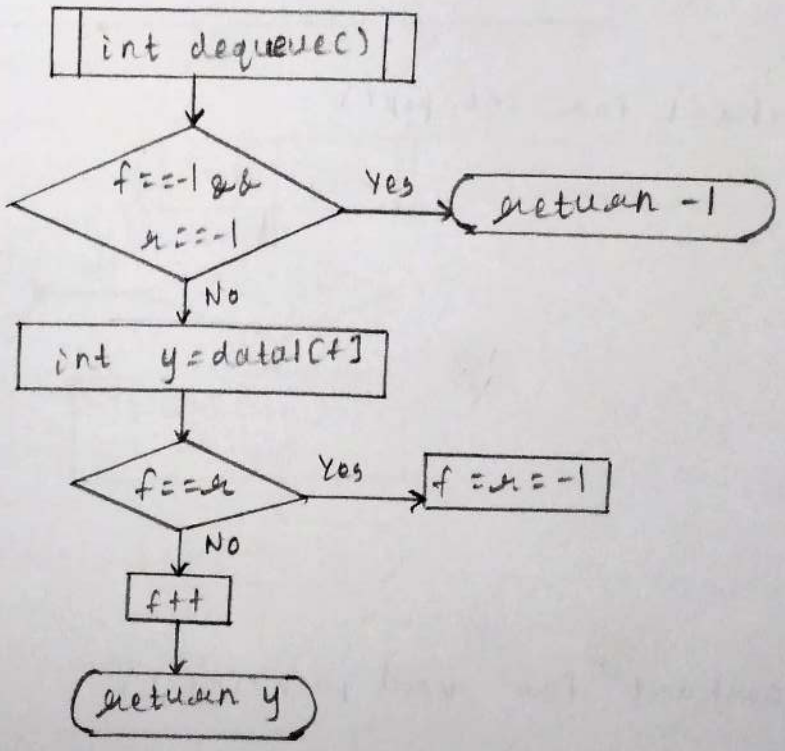
→ Flowchart for void push(int t)



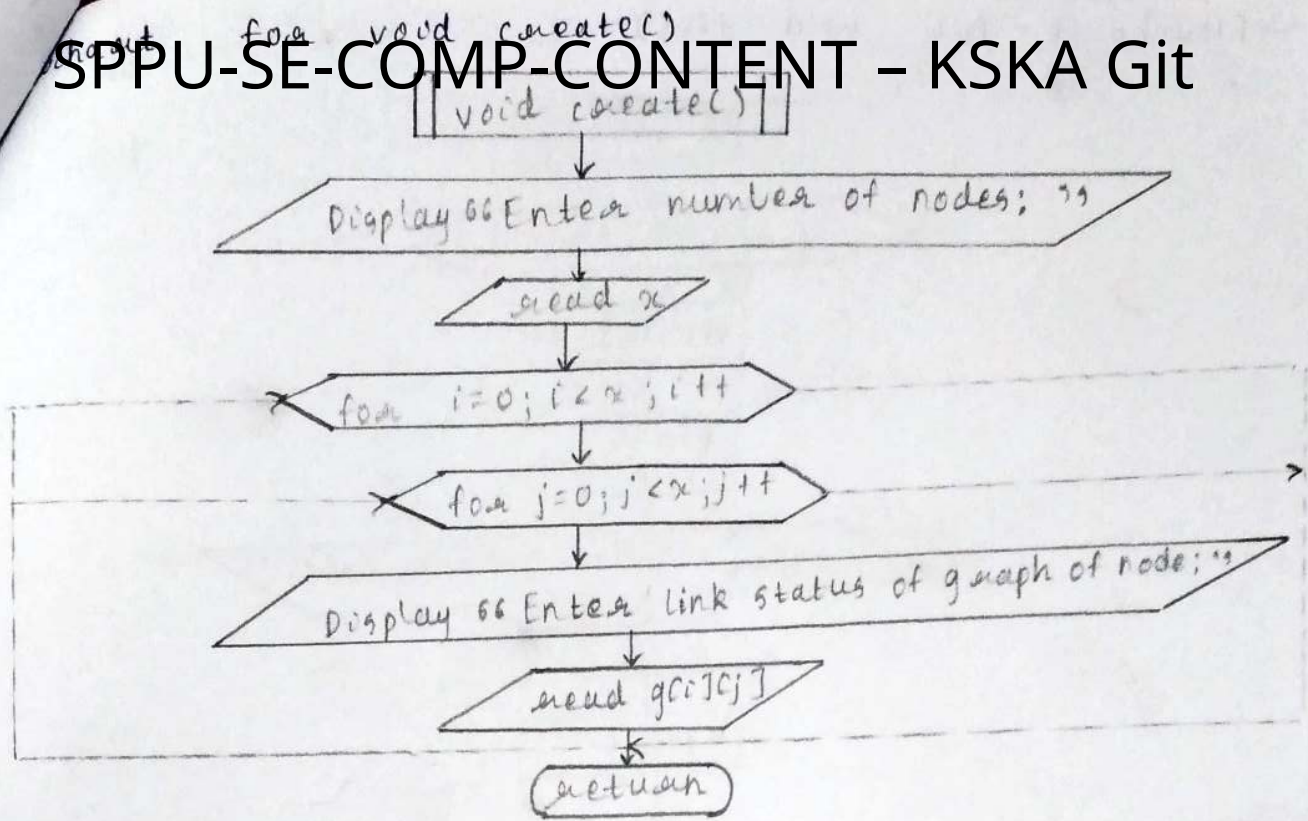
void enqueue (int t)



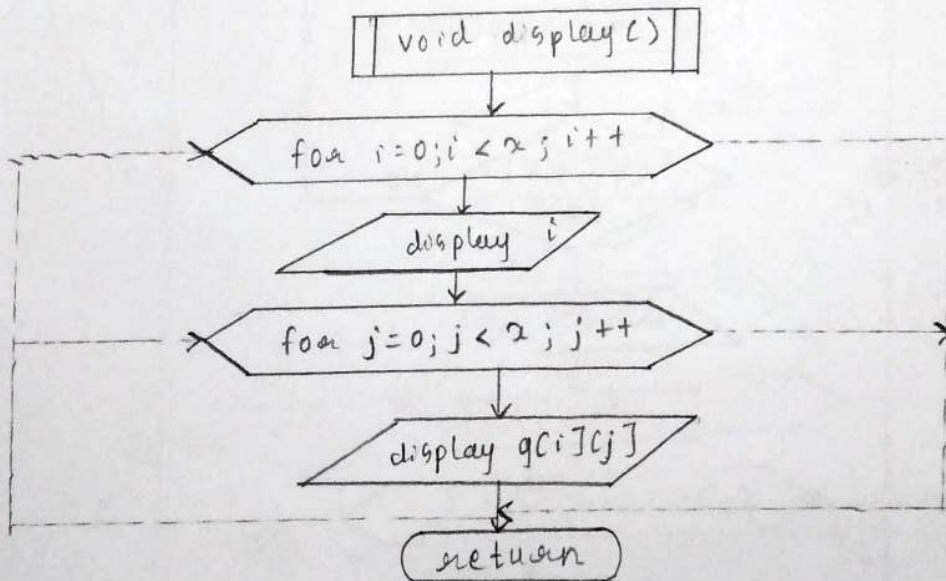
Flowchart for int dequeue()

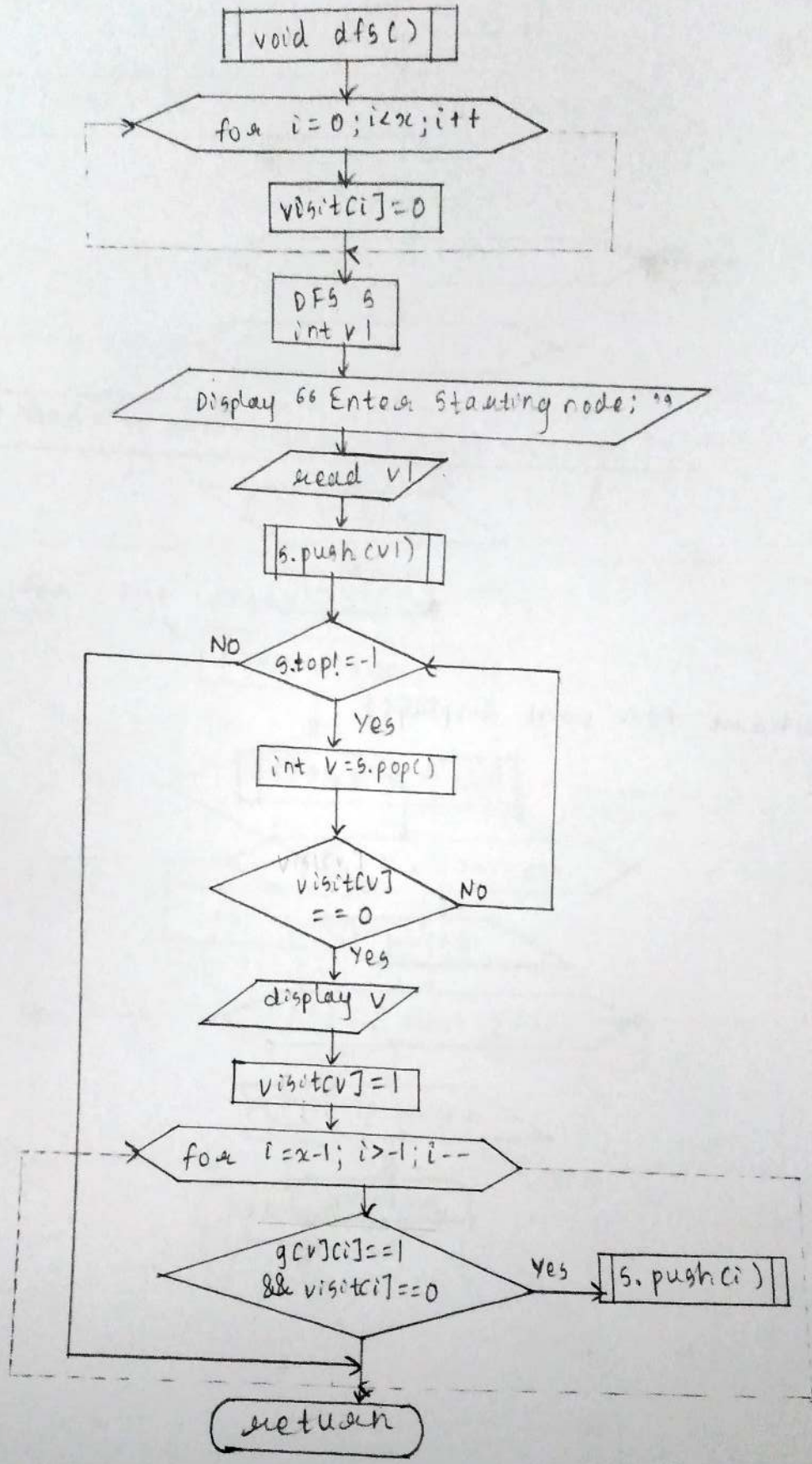


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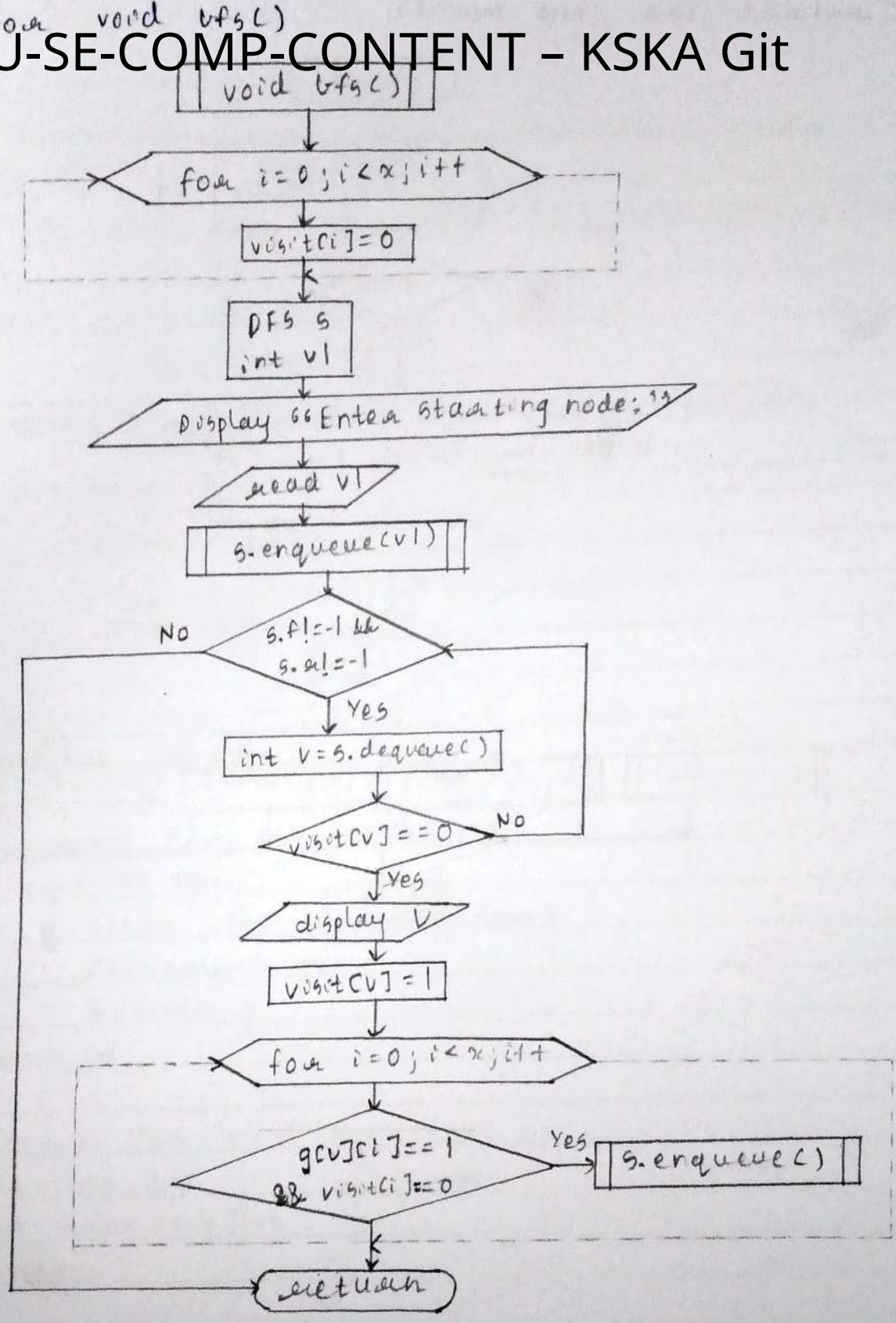


→ Flowchart for void display()



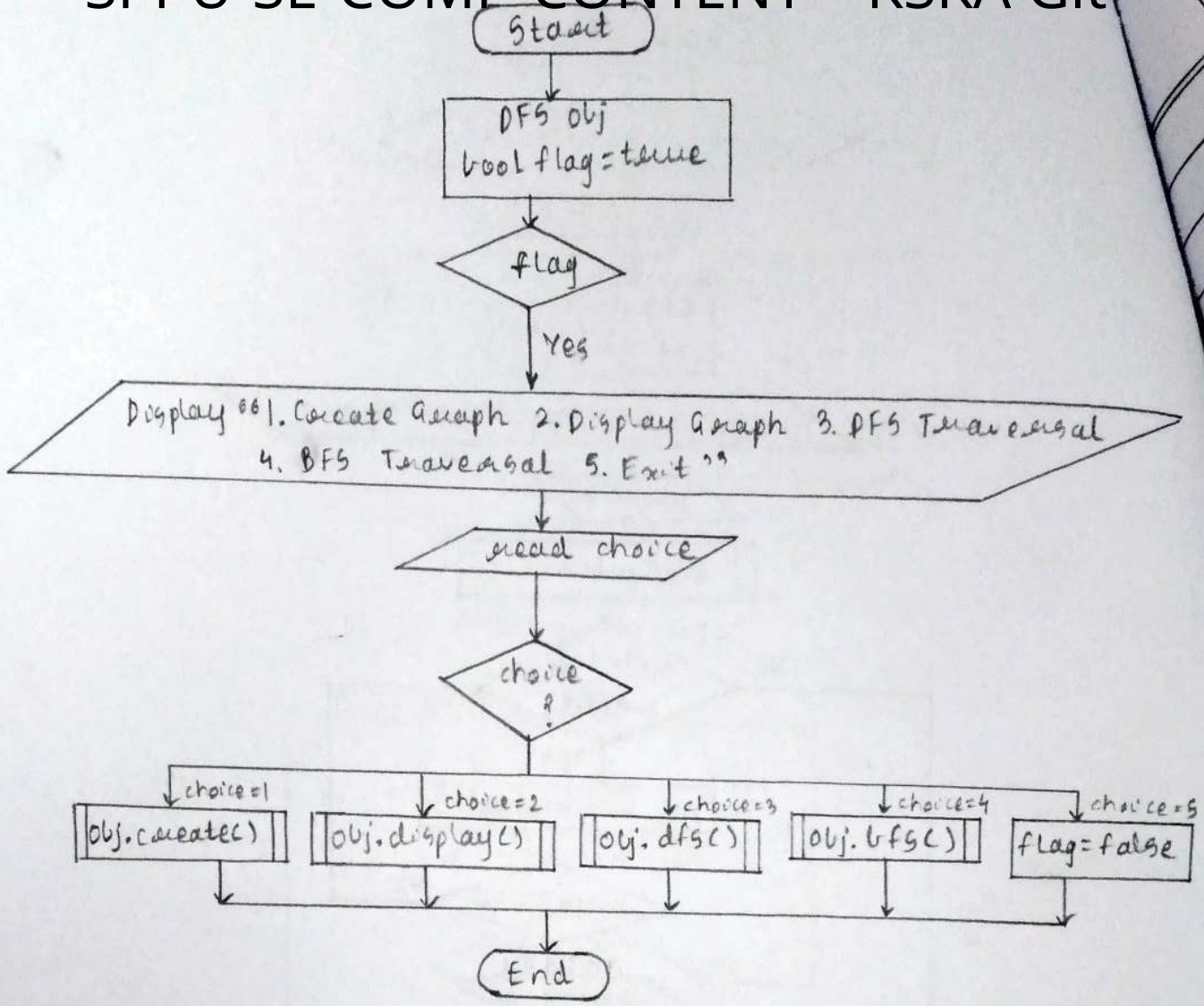


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→ Flowchart for int main()

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→ Pseudocode for class DFS

1. Declare $\text{int top, f, r, x, data[30], data1[30], visit[20],$
 int g[10][10]
2. Declare void create()
 void display()
 void dfs()
 void bfs()
 int pop()
 void push(int t)
 $\text{void enqueue(int t)}$
 $\text{~~void~~ ^{int} dequeue()}$

→ Pseudocode for DFS()

1. initialize top = f = r = -1

→ Pseudocode for int pop()

1. if $\text{top} \neq -1$ then
 $\#$ store int y = data[top]
 decrement top
 return y
2. return -1

→ Pseudocode for void push(int t)

1. increment top
2. store $\text{data[top]} = t$
3. return

→ Pseudocode for $\text{void enqueue(int t)}$

1. if $\text{f} == -1$ and $\text{r} == -1$ then
 increment f and r
 store $\text{data[f]} = t$
else

~~return~~

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```
increment e  
store data[e] = t
```

2. return

→ Pseudocode for int dequeue()

1. if f == -1 and e == -1 then

```
return -1
```

else

```
store int y = data[f]
```

```
if f == e then
```

```
initialize f = e = -1
```

```
else
```

```
increment f
```

```
return y
```

→ Pseudocode for void create()

1. Read x

2. for i = 0; i < x; i++ do

```
begin
```

```
for j = 0; j < x; j++ do
```

```
begin
```

```
display "Enter link status of graph  
of node; "
```

```
read g[i][j]
```

```
end
```

```
end
```

3. return

→ Pseudocode for void display()

1. for i = 0; i < x; i++ do

```
begin
```

```
display i
```

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```
for j=0; j<x; j++ do  
begin  
    display gcv[j]  
end
```

end

2. return

→ Pseudocode for void dfs()

```
1. for i=0; i<x; i++ do  
begin  
    initialize visit[i]=0  
end
```

2. Create DFS s

3. Declare int v1

4. read starting node v1

5. call function s.push(v1)

6. while s.top != -1 do

begin

store int v = s.pop()

if visit[v] == 0 then

display v

initialize visit[v] = 1

for i=x-1; i>-1; i-- do

begin

if gcv[i] == 1 and visit[i] == 0 then

call function s.push(i)

end

end

7. return

→ Pseudocode for void bfs()

```
1. for i=0; i<x; i++ do  
begin
```

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```
initialize visit[i]=0
```

```
end
```

```
2. create DFS s
```

```
declare int v1
```

```
3. read starting node v1
```

```
4. call function s.enqueue(v1)
```

```
5 while s.f != -1 and s.r != -1 do
```

```
begin
```

```
store int v = s.dequeue()
```

```
if visit[v] == 0 then
```

```
display v
```

```
initialize visit[v] = 1
```

```
for i = 0; i < x; i++ do
```

```
begin
```

```
if gcv[i] == 1 and visit[i] == 0 then
```

```
call function s.enqueue(i)
```

```
end
```

```
end
```

```
6. return
```

→ pseudocode for int main()

```
1. start
```

```
2. create DFS obj
```

```
3. declare bool flag = true
```

```
int choice
```

```
4. while flag do
```

```
begin
```

```
Display "1. Create Graph 2. Display Graph
```

```
3. DFS Traversal 4. BFS Traversal 5. Exit"
```

```
Display "Enter choice"
```

```
read choice
```

```
switch(choice)
```

```
case 1:
```

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call function obj.create()
break

case 2:

call function obj.display()
break

case 3:

call function obj.dfs()
break

case 4:

call function obj.bfs()
break

case 5:

store flag = false
break

default:

Display "Entered valid choice!"
break

end

5. End

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Topic : _____

Page No. _____

Date : / /

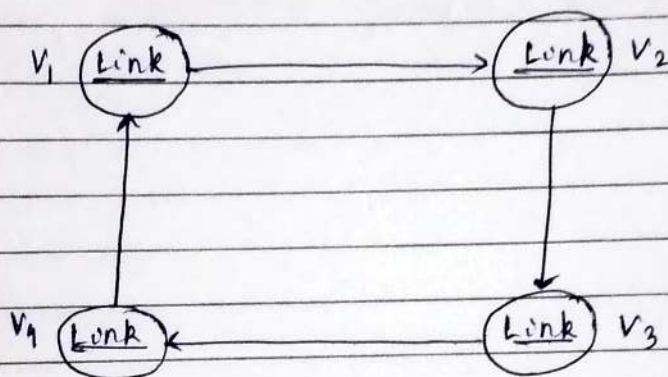
Q1. List applications of graph.

Ans.

1) Webgraph :-

- The webgraph is a directed graph, whose vertices are nothing but the web pages and the directed edges between any two vertices v_1 and v_2 exists if there is a hyperlink present on web page v_1 referring to page v_2 .

eg:



2) Page Rank :-

- It is an algorithm used for measuring the importance of website pages.

3) Google map :-

- Google map is a service developed by Google.
- It offers services for satellite imagery, street maps, 360° views of streets and real-time conditions.

4) Network monitoring :-

- Graphs can be used to monitor network traffic in real time, allowing network administrators to identify potential bottlenecks.

5) Biology :-

- Graphs are used to model biochemical reactions, genetic interactions, and neural networks.

Q2. Given an undirected graph G with v vertices

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and E edges, what is the sum of the degrees of all vertices.

Ans. • consider an undirected graph G with v vertices and E edges. ~~and~~

- Let the degree of vertex i be d_i .
- This is because each edge contributes two to the sum of degrees, one for each of its endpoints.
- Therefore, the sum of degrees of all vertices in an undirected graph with v vertices and E edges is $2E$.

•