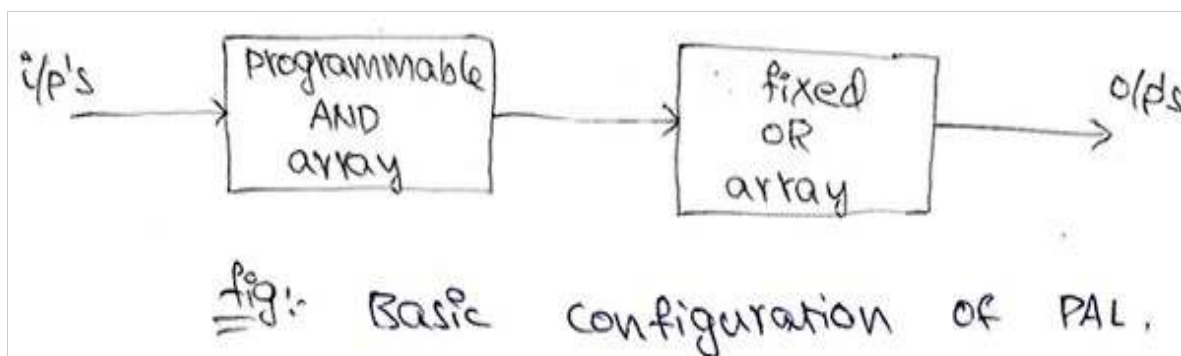


What is Programmable Array Logic (PAL)?

Programmable Array Logic (PAL) is a type of device which comes from the class of programmable logic devices (PLDs) and is used to implement combinational circuits. The basic configuration of a PAL consists of a programmable AND array and followed by a fixed OR gate. It differs from PLA in a manner, that PAL consists of an AND array followed by a fixed OR array whereas in case of PLA it has an AND array followed by a programmable OR gate. In PAL, since only AND array is programmable it is easier to use but it is not that flexible.

A schematic diagram of the basic configuration of PAL can be drawn as:



Programmable Array Logic (PAL) Examples

Example 1

Implement the following Boolean expression using PAL,
 $F1 = \sum m(3,5,7)$ and $F2 = \sum m(4,5,7)$.

Solution

Since, $F1 = \sum m(3,5,7)$ and $F2 = \sum m(4,5,7)$. Truth table for Boolean functions $F1$ and $F2$ can be drawn as:

| Inputs | | | Outputs | |
|--------|---|---|---------|----|
| A | B | C | F1 | F2 |
| 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 0 | 0 |
| 0 | 1 | 0 | 0 | 0 |
| 0 | 1 | 1 | 1 | 0 |
| 1 | 0 | 0 | 0 | 1 |
| 1 | 0 | 1 | 1 | 1 |
| 1 | 1 | 0 | 0 | 0 |
| 1 | 1 | 1 | 1 | 1 |

Now, for these Boolean functions, using the K-Map we can find the simplified Boolean expressions as:

for F_1

| | | | | |
|--------|----|----|----|----|
| A \ BC | 00 | 01 | 11 | 10 |
| 0 | | | 1 | |
| 1 | 1 | 1 | | |

$\therefore F_1 = AC + BC$

for F_2

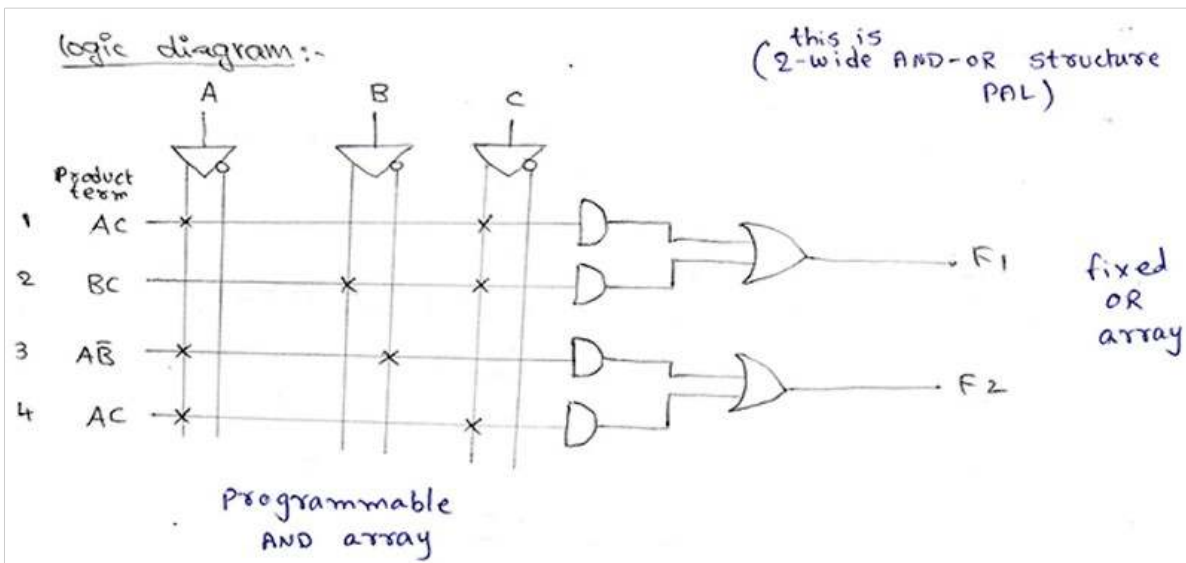
| | | | | |
|--------|----|----|----|----|
| A \ BC | 00 | 01 | 11 | 10 |
| 0 | | | | |
| 1 | 1 | 1 | 1 | |

$\therefore F_2 = A\bar{B} + AC$

A PAL program table can be also drawn representing the terms in the Boolean expression as:

| | Product Term | AND i/p's | | | o/p's |
|---|--------------|-----------|---|---|-----------------------|
| | | A | B | C | |
| 1 | AC | 1 | - | 1 | $F_1 = AC + BC$ |
| 2 | BC | - | 1 | 1 | |
| 3 | $A\bar{B}$ | 1 | 0 | - | $F_2 = AC + A\bar{B}$ |
| 4 | AC | 1 | - | 1 | |

The logic diagram of the combinational circuit implemented using PAL can be drawn as:



Example 2

Implement the following Boolean expressions using a suitable PLA.

$$A(x,y,z) = \sum m(1,2,4,6)$$

$$B(x,y,z) = \sum m(0,1,6,7)$$

$$C(x,y,z) = \sum m(2,6)$$

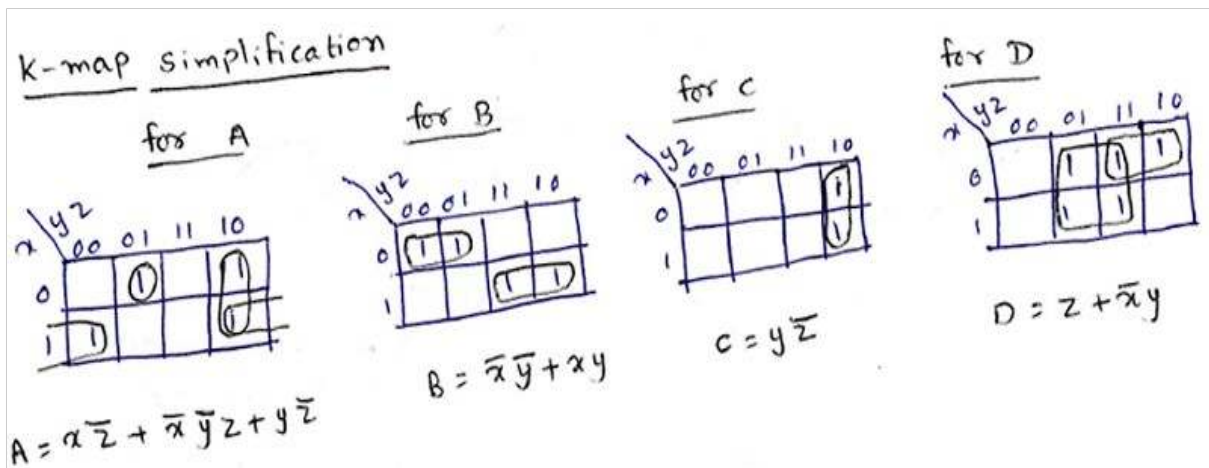
$$D(x,y,z) = \sum m(1,2,3,5,7)$$

Solution

Truth table for Boolean functions A, B, C and D can be drawn as:

| Input | | | Output | | | |
|-------|---|---|--------|---|---|---|
| x | Y | z | A | B | C | D |
| 0 | 0 | 0 | 0 | 1 | 0 | 0 |
| 0 | 0 | 1 | 1 | 1 | 0 | 1 |
| 0 | 1 | 0 | 1 | 0 | 1 | 1 |
| 0 | 1 | 1 | 0 | 0 | 0 | 1 |
| 1 | 0 | 0 | 1 | 0 | 0 | 0 |
| 1 | 0 | 1 | 0 | 0 | 0 | 1 |
| 1 | 1 | 0 | 1 | 1 | 1 | 0 |
| 1 | 1 | 1 | 0 | 1 | 0 | 1 |

Solving K-Map to get the required Boolean expressions:



A PLA program table can be also drawn representing the terms in the Boolean expression as:

PLA Program Table

| | Product Terms | AND inputs | | | Outputs |
|----|---------------|------------|---|---|---------------------------|
| | | x | y | z | |
| 1 | xz | 1 | - | 0 | $A = xz + \bar{x}yz + yz$ |
| 2 | $\bar{x}yz$ | 0 | 0 | 1 | |
| 3 | yz | - | 1 | 0 | |
| 4 | $\bar{x}y$ | 0 | 0 | - | $B = \bar{x}y + xy$ |
| 5 | xy | 1 | 1 | - | |
| 6 | yz | - | 1 | 0 | $C = yz$ |
| 7 | z | - | - | 1 | $D = z + \bar{x}y$ |
| 10 | $\bar{x}y$ | 0 | 1 | - | |
| 12 | - | - | - | - | |

The logic diagram of the combinational circuit implemented using PLA can be drawn as:

Logic Diagram :-

